## Solving Math Word Problems

THERE ARE TWO STEPS TO SOLVING MATH WORD PROBLEMS:

1. Translate the wording into a numeric equation that combines smaller "expressions"
2. Solve the equation!

Word problems are a series of expressions that fits into an equation. An equation is a combination of math expressions.

## SUGGESTIONS:

- Read the problem entirely

Get a feel for the whole problem

- List information and the variables you identify

Attach units of measure to the variables (gallons, miles, inches, etc.)

- Define what answer you need,
as well as its units of measure
- Work in an organized manner

Working clearly will help you think clearly

- Draw and label all graphs and pictures clearly
- Note or explain each step of your process; this will help you track variables and remember their meanings
- Look for the "key" words (above)

Certain words indicate certain mathematical operations:

## VOCABULARY AND KEY WORDS:

- "Per" means "divided by"
as "I drove 90 miles on three gallons of gas, so I got 30 miles per gallon" (Also 30 miles/gallon)
- "a" sometimes means "divided by"
as in "When I tanked up, I paid $\$ 3.90$ for three gallons, so the gas was 1.30 a gallon, or
\$1.30/gallon
- "less than"

If you need to translate "1.5 less than x", the temptation is to write "1.5-x". DON'T! Put a "real world" situation in, and you'll see how this is wrong: "He makes $\$ 1.50$ an hour less than me." You do NOT figure his wage by subtracting your wage from $\$ 1.50$. Instead, you subtract $\$ 1.50$ from your wage

- "quotient/ratio of" constructions

If a problems says "the ratio of $x$ and $y$ ", it means " $\boldsymbol{x}$ divided by $\boldsymbol{y}$ " or $\mathbf{x} / \mathbf{y}$ or $\mathbf{x} \div \mathbf{y}$

- "difference between/of" constructions

If the problem says "the difference of $x$ and $y$ ", it means " $x-y$ "

